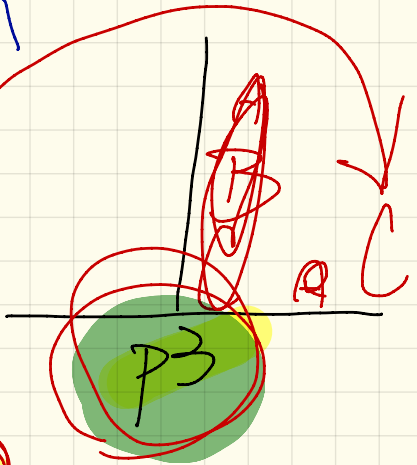
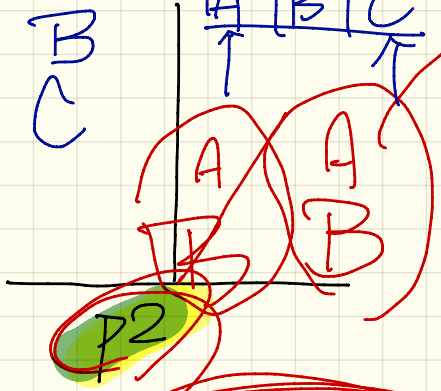
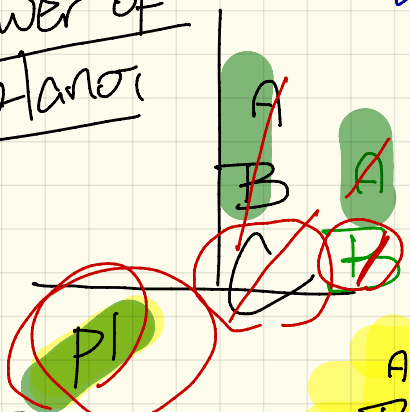
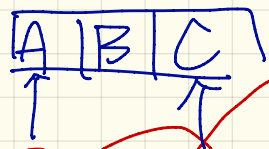


Lecture 19

Tuesday Nov. 14

Tower of Hanoi

tower: A
B
C



Problem: Move C from p1 to p3

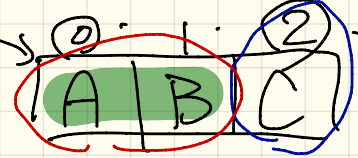
✓ Move A from p1 to p2

✓ Move C from p1 to p3

✓ Move B from p2 to p3

Move A from p1 to p3
Move B from p1 to p2
Move A down p3 to p2

Problem: Move $\begin{matrix} A \\ B \\ C \end{matrix}$ from $p1$ to $p3$ ^{ds}



tohH(ds, 0, 2, p1, p3) =
 {A, B, C}

intermediate = 6 - 1 - 3

= 2

intermediate: p3

tohH(ds, 0, 0, p1, p3)

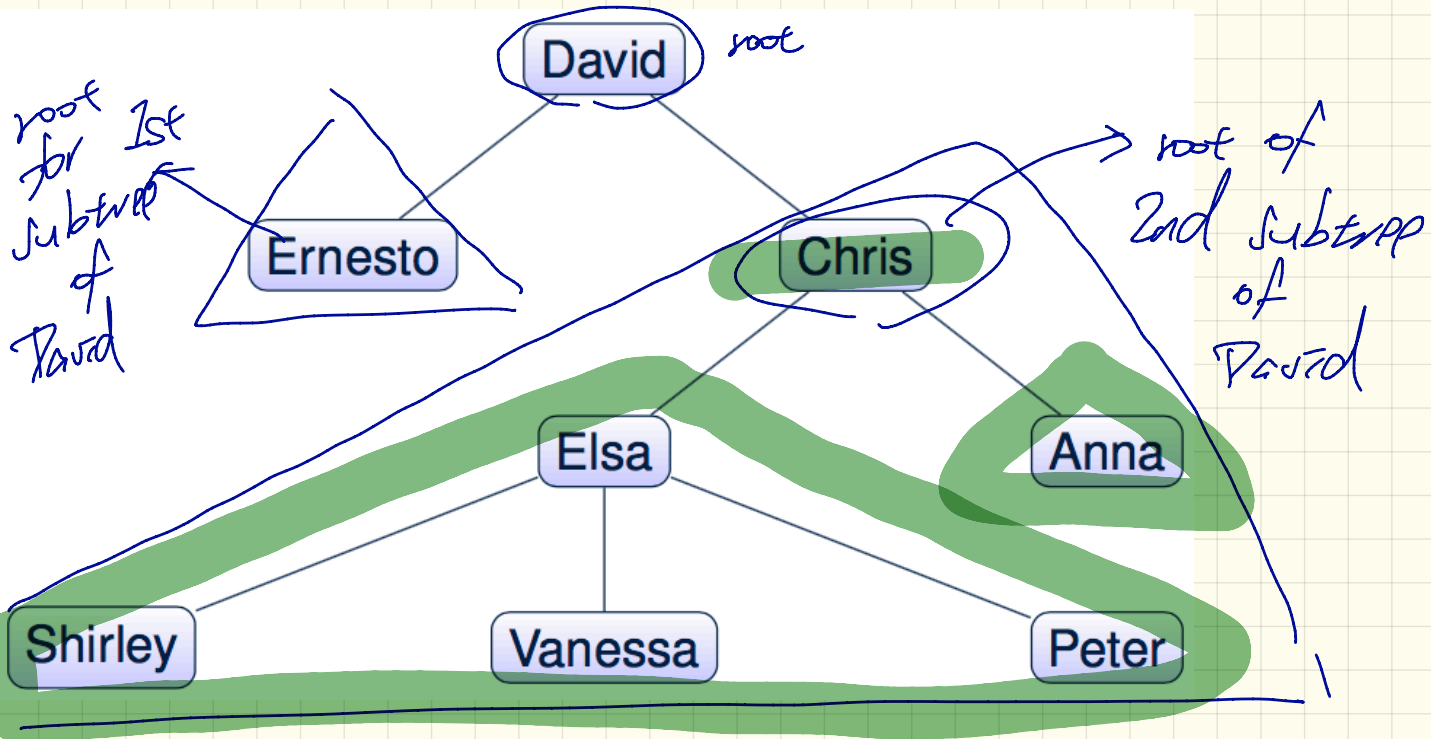
move ds[0] from p1 to p2

tohH(ds, 0, 0, p3, p2)

tohH(ds, 0, 1, p1, p2)
 {A, B} intermediate

Move ds[to] from p1 to p3

tohH(ds, 0, 1, intermediate, p3)
 {A, B}

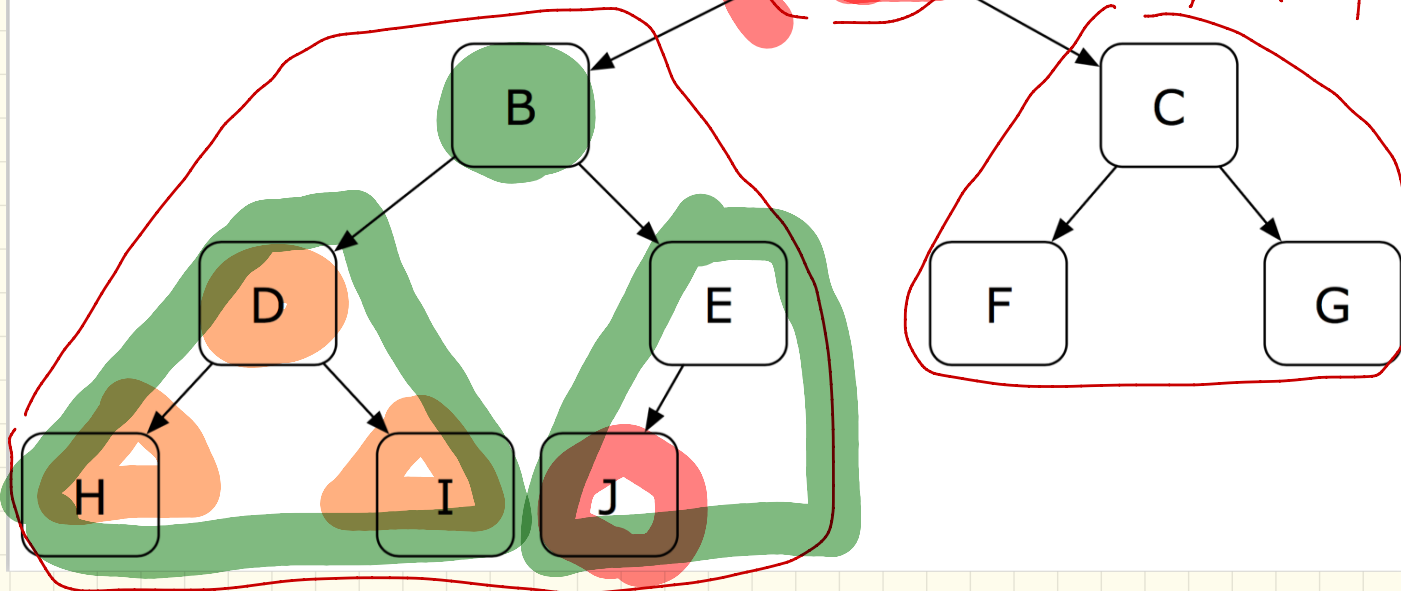


LST of A

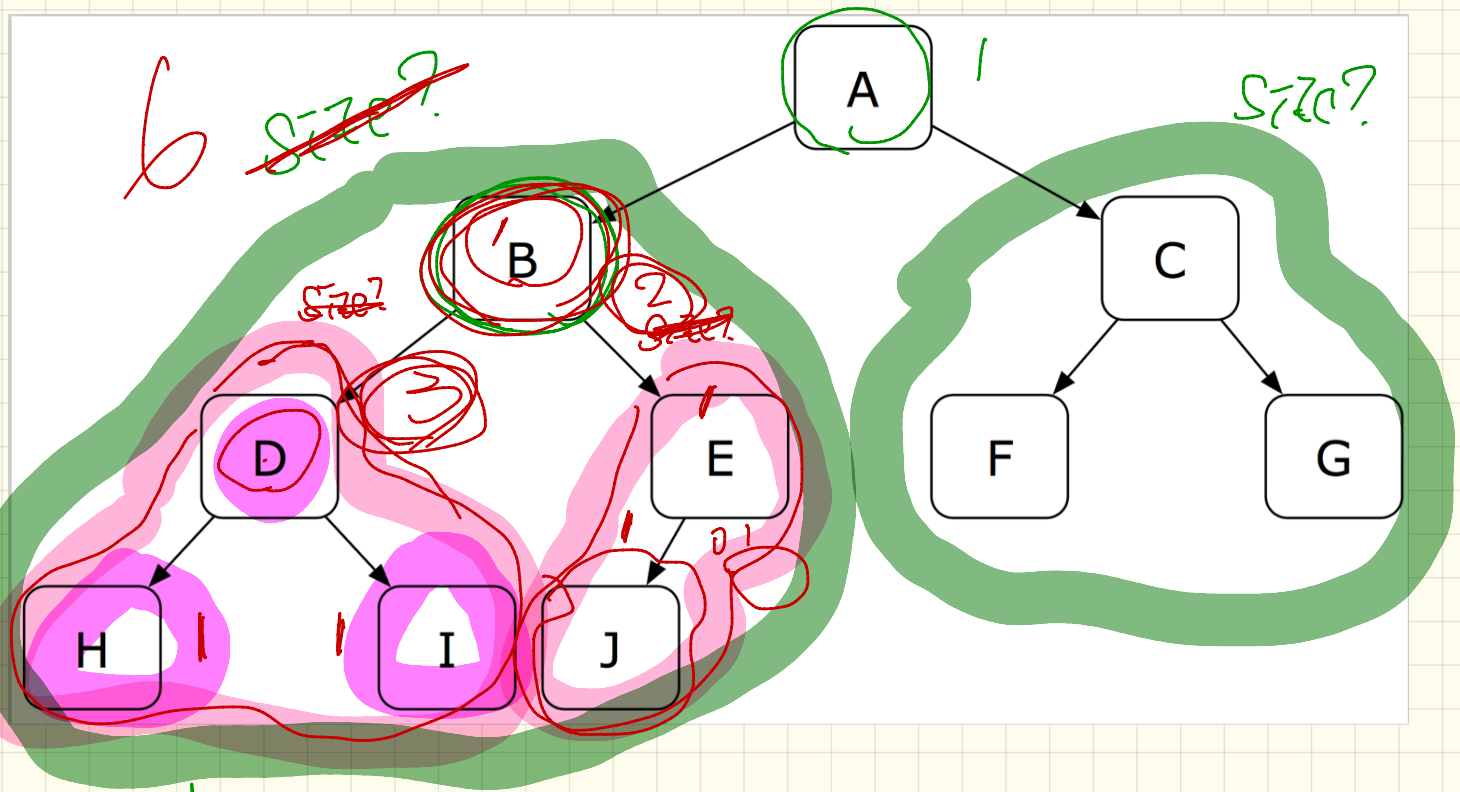
A

root

RST of A



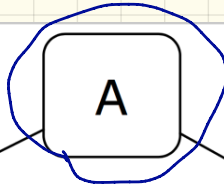
6 size?



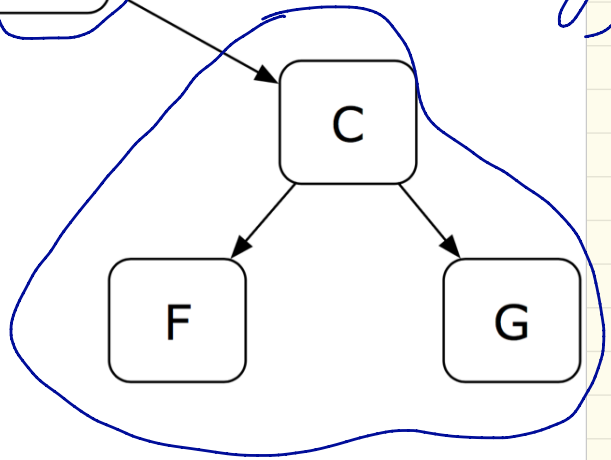
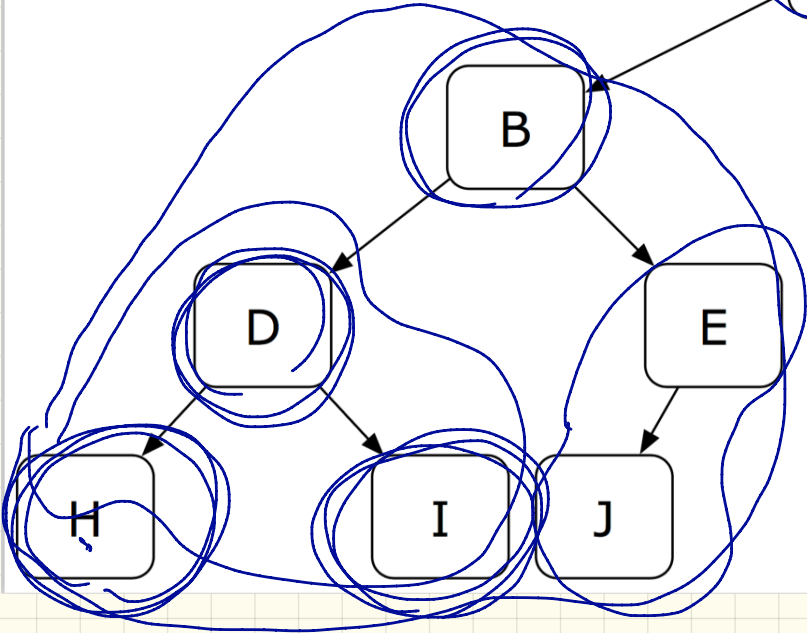
size?

Size of subtree rooted at A

? has(A.left)



? has(A.right)

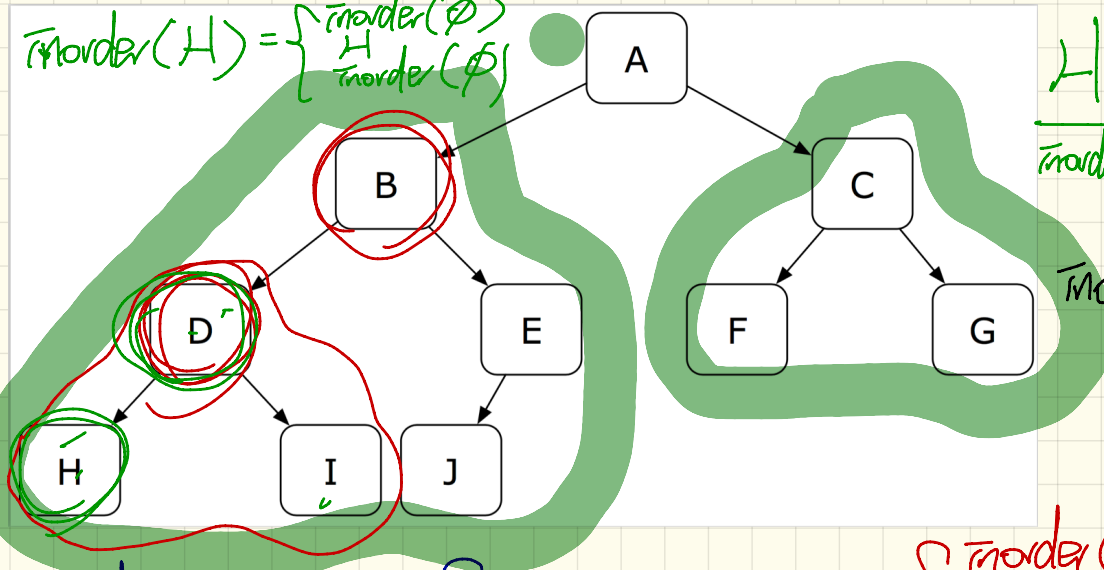


has(H)

has(A) =

A == H ||
has(A.left) ||
has(A.right).

$$\text{inorder}(H) = \begin{cases} \text{inorder}(\emptyset) \\ H \\ \text{inorder}(\emptyset) \end{cases}$$

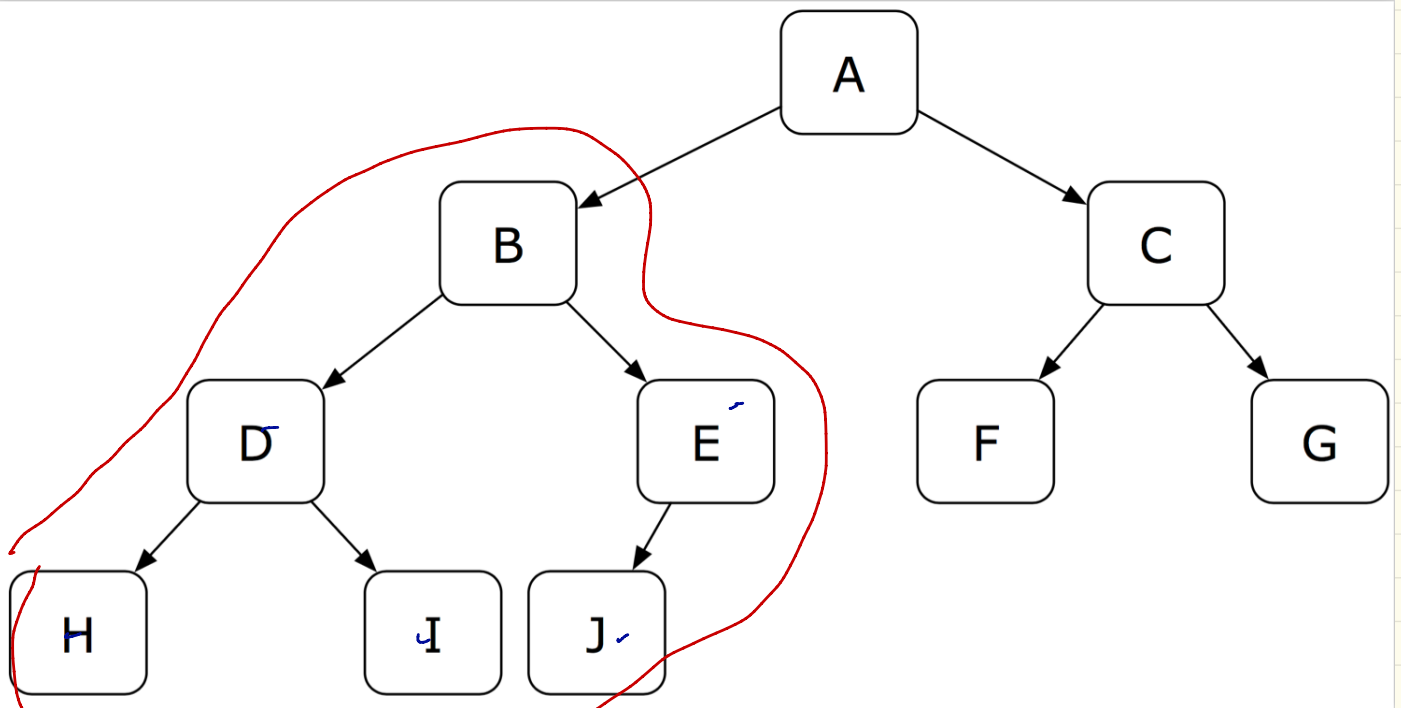


HDI BJE
 $\text{inorder}(D)$ $\text{inorder}(E)$

$\text{inorder}(A)$

$$\text{inorder}(A) = \left\{ \begin{array}{l} \text{inorder}(A.\text{left}) \\ \underline{B} \\ \text{inorder}(A.\text{right}) \end{array} \right\} A$$

$$\left\{ \begin{array}{l} \text{inorder}(B.\text{left}) \\ \underline{B} \\ \text{inorder}(B.\text{right}) \end{array} \right\} \left\{ \begin{array}{l} H \\ \text{inorder}(H) \\ \underline{D} \\ \text{inorder}(I) \end{array} \right\}$$



trorder(A)

tr(A)

